## Knowledge Organiser VENN DIAGRAMS

## Key Concepts

Venn diagrams show all possible relationships between different sets of data.

Probabilities can be derived from Venn diagrams.
Specific notation is used for this:
$P(A \cap B)=$ Probability of $A$ and $B$
$P\left(\begin{array}{ll}A & B\end{array}\right)=$ Probability of $A$ or $B$
$P\left(A^{\prime}\right)=$ Probability Uf not $A$

## Example

Out of 50 people surveyed:
30 have a brother
25 have a sister
8 have both a brother and sister
a) Complete the Venn diagram
b) Calculate:

i) $P(A \cap B)$
ii) $P(A \cup B)$
iii) $P\left(B^{\prime}\right)$
$=\frac{8}{50}$
$=\frac{47}{50}$
$=\frac{20}{50}$
iv) The probability that a person with a sister, does not have a brother.

$$
=\frac{8}{25}
$$

40 students were surveyed:
Key Words
Venn diagram Union Intersection Probability
a) Complete a Venn diagram to represent this information.
b) Calculate:

$$
\text { i) } P(F \cap S) \text { ii) } P(F \cup S) \text { iii) } P\left(S^{\prime}\right)
$$

iv) The probability someone who has visited France, has not gone to Spain

20 have visited France
15 have visited Spain
10 have visited both France and Spain

